

UNIVERSITY OF CAMBRIDGE INTERNATIONAL EXAMINATIONS International General Certificate of Secondary Education

CANDIDATE NAME					
CENTRE NUMBER		CANDIDATE NUMBER			
MATHEMATICS			0580/32		
Paper 3 (Core)		Octob	er/November 2013		
			2 hours		
Candidates answer or	n the Question Paper.				
Additional Materials:	Electronic calculator	Geometrical instruments			

READ THESE INSTRUCTIONS FIRST

Write your Centre number, candidate number and name on all the work you hand in.

Write in dark blue or black pen.

You may use a pencil for any diagrams or graphs.

Do not use staples, paper clips, highlighters, glue or correction fluid.

DO NOT WRITE IN ANY BARCODES.

Answer all questions.

If working is needed for any question it must be shown below that question.

Tracing paper (optional)

Electronic calculators should be used.

If the degree of accuracy is not specified in the question, and if the answer is not exact, give the answer to three significant figures. Give answers in degrees to one decimal place.

For π , use either your calculator value or 3.142.

At the end of the examination, fasten all your work securely together.

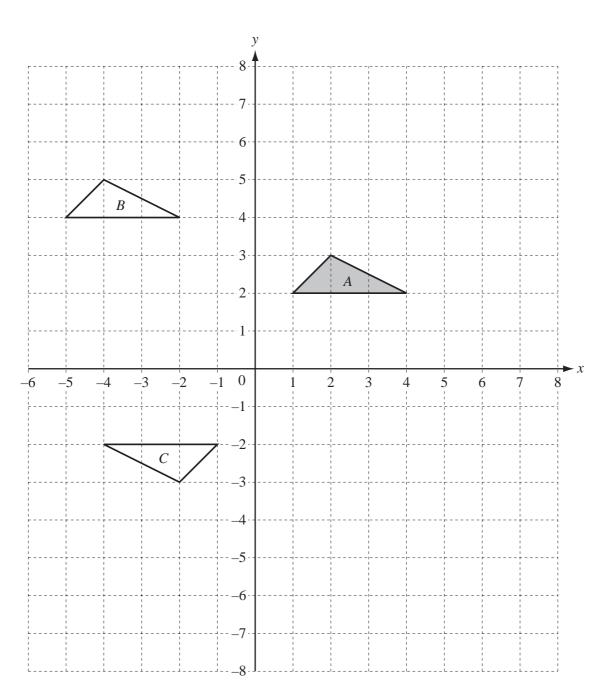
The number of marks is given in brackets [] at the end of each question or part question.

The total of the marks for this paper is 104.

2

1





Triangles A, B and C are shown on a $1\,\mathrm{cm}^2$ grid.

(a)	Write	down	the	mathematical	name	for	triangl	e A	١.

Answer(a) [1]

(b) Complete the following statement.

Triangles A, B and C are triangles because they are the same shape and size.

[1]

(c)	Describe fully the single transformation that maps							
	(i)	triangle A onto triangle B ,						
		Answer(c)(i)						
		[2]						
	(ii)	triangle A onto triangle C .						
		Answer(c)(ii)						
		[3]						
(d)		Hect triangle A in the x -axis. Del the image P . [1]						
(e)		arge triangle A , scale factor 2, centre $(0, 0)$. [2]						
(f)	Cal	culate the area of triangle Q .						
		$Answer(f) \dots cm^2 [2]$						

Examiner's Use

2	Rav	ri sells cars.	
	(a)	He has a total of 144 cars for sale.	
		(i) 64 of these cars are 3 or more years old.	
		What fraction of the cars are less than 3 years old? Give your answer in its simplest form.	
		Answer(a)(i)	[2]
		(ii) Some of the 144 cars use petrol, some use diesel and some are electric cars. The ratio of petrol to diesel to electric cars is $6:5:1$.	
		Work out the number of these cars that use diesel.	
		<i>Answer(a)</i> (ii)	[2]
	(b)	Lola buys a car from Ravi.	
		There are two ways she can pay for the car.	
		Option 1: one payment of \$5200.	
		Option 2: a payment of $\frac{2}{5}$ of \$5200 plus 24 monthly payments, each of \$175.	
		Work out how much more Lola pays using Option 2 than Option 1.	
		<i>Answer(b)</i> \$	[3]
	(c)	For one week, Ravi reduces all his car prices by 15%. The price of a car was \$3450.	
		Show that the reduced price of the car is \$2932.50.	
		Answer(c)	
			[2]
	(d)	Ravi buys a car for \$2500. He sells it for \$3300.	
		Calculate his percentage profit.	
		<i>Answer(d)</i> %	[3]

3

(a)		eets are sold in packets. Fre are n sweets in each packet.	For Examiner's Use
	(i)	Maya has 4 packets of sweets and 21 extra sweets.	
		Write an expression, in terms of n , for the number of sweets Maya has.	
		<i>Answer</i> (a)(i)[1]	
	(ii)	Tassos has $5n + 3$ sweets. Roma has $3n + 27$ sweets. Tassos and Roma each have the same number of sweets.	
		Write down an equation, in terms of n , and solve it.	
		$Answer(a)(ii) n = \dots [3]$	
((iii)	Work out the number of sweets Tassos and Roma have altogether.	
		Answer(a)(iii)[1]	
(b)		ifferent packet of sweets contains 6 red sweets, 10 yellow sweets and 4 green sweets. non takes one sweet from the packet at random.	
	(i)	Write down the colour of sweet Simon is most likely to take.	
		Answer(b)(i)[1]	
	(ii)	On the probability scale, draw an arrow to show the probability that Simon's sweet is yellow.	
		[1]	
((iii)	Write down the probability that Simon's sweet is green.	
		Answer(b)(iii)[1]	
	(iv)	Write down the probability that Simon's sweet is red or yellow.	
		Answer (b)(iv) [1]	
			I .

4 (a)

Sea

North

North

For Examiner's Use

The scale drawing shows the position of two airfields, A and B. The scale is 1 cm represents 50 km.

(i) Find the actual distance between *A* and *B*. Give your answer in kilometres.

Answer(a)(i) km [2]

(ii) Measure the bearing of B from A.

Answer(a)(ii)[1]

(iii) A third airfield, C, is 525 km from airfield A and 350 km from airfield B.

On the scale drawing, construct the position of airfield C. [2]

(iv) Measure the bearing of B from C.

Answer(a)(iv)[1]

(b)	A plane is at airfield <i>C</i> at 1040. It flies 525 km to airfield <i>A</i> at a speed of 700 km/h.
	Work out the time when the plane reaches airfield <i>A</i> .
	Answer(b)
(c)	This plane has a maximum take-off weight of 4173 kg.
	Write 4173 kg correct to the nearest hundred kilograms.
	Answer(c) kg [1]
	Answer(c) Kg [1]
(d)	The plane can fly at a maximum height of 13 107 m.
	Write 13 107 m in kilometres , correct to 3 significant figures.
	$Answer(d) \dots km [2]$
(e)	In one week, the plane flies a total distance of 8520 km, correct to the nearest ten kilometres.
(0)	
	Write down the lower bound of this distance.
	Answer(e) km [1]

Examiner's

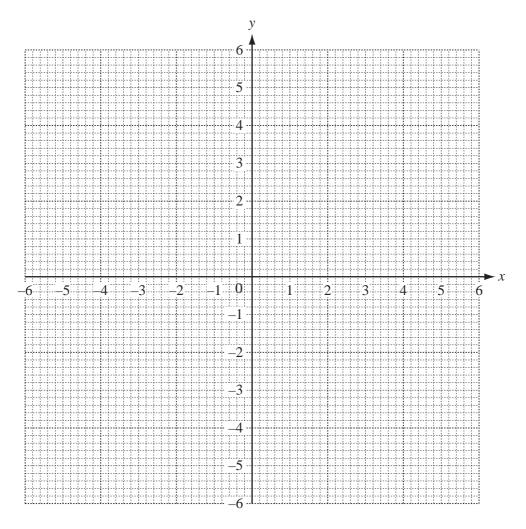
Use

(a) Complete the table of values for $y = \frac{5}{x}$. 5

х	-5	-4	-3	-2	-1	1	2	3	4	5
у			-1.67	-2.5	-5	5		1.67	1.25	

[2]

(b) On the grid, draw the graph of $y = \frac{5}{x}$ for $-5 \le x \le -1$ and $1 \le x \le 5$.



[4]

(c) Use your graph to solve the equation $\frac{5}{x} = 4$.

$$Answer(c) x = \dots [1]$$

(d) (i) On the grid, draw the line
$$x = -3.5$$
. [1]

(ii) On the grid, plot the point
$$(5, -3)$$
 and label it P . [1]

(iii) Draw the line that passes through P and is perpendicular to
$$x = -3.5$$
. [1]

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6	(a)		e are three diffe te the missing to	_		provided.			
		(i)	2,	8,	14,	20,			[1]
		(ii)	1,	4,	9,		., 25		[1]
		(iii)	,	12,	7,	2,			[2]
	(b)	Here	e is the rule for	finding t	he next ter	rm in anoth	er sequence.		
			D	ouble t	he prev	ious tern	n and subtr	ract 1.	
		The	first two terms	in this so	equence ar	re 3 and 5.			
		(i)	Work out the r	ext two	terms in the	he sequenc	e.		
							Answer(l	<i>b)</i> (i), ,	[2]
		(ii)	Complete the f	Collowing	g statemen	t.			
			All the terms i	n this sec	quence are	·		numbers.	[1]
	(c)	Here	e is the start of a	a sequen	ce of stick	patterns.			
								<u></u>	
				•			_		
			Pattern 1	-		tern 2		Pattern 3	
			8 sticks			sticks		18 sticks	
		(i)	Find the numb	er of stic	eks in Patte	ern 4.			
							Answer(c)(i)		[1]
		(ii)	Write down an	express	ion for the	number of	sticks in Patt	tern n.	
						1	Answer(c)(ii)		[2]
		(iii)	One pattern in	the sequ	ence has 9	98 sticks.			
			Which pattern	number	is this?				
						A	nswer(c)(iii)		[2]

7 12 people each solved the same puzzle.

The table shows their ages and the time they each took to solve the puzzle.

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Age (years)	19	24	28	16	25	20	15	22	32	30	68	16
Time (seconds)	36	38	42	36	45	42	32	40	40	46	56	38

(a) Find the median age.

Answer(a)		years	[2]
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(b) For these 12 people, explain why the mean age may not be an appropriate average.

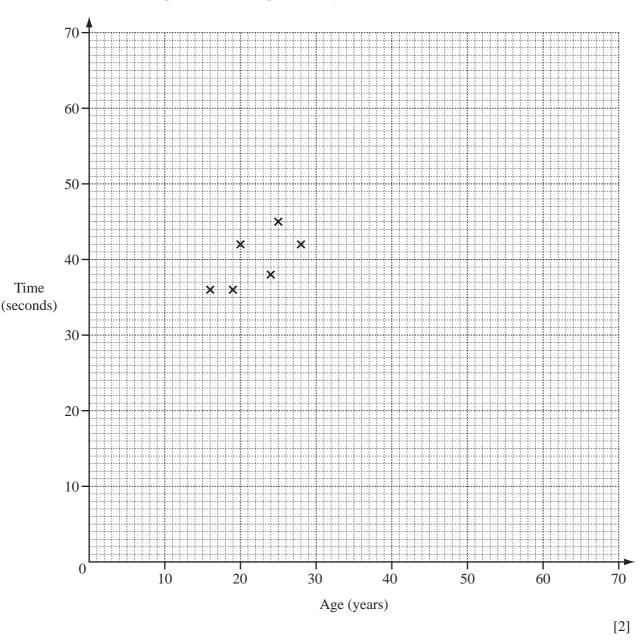
Answer(b)	•••••	 	•••••	 	
		 		 	[1

(c) Calculate the mean time taken.

Answer(c) seconds [2]

(d) (i) Complete the scatter diagram. The first six points have been plotted for you.

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What type of correlation does the scatter diagram show?

Draw a line of best fit on the scatter diagram.

[1]

(iv) Would it be sensible to use your line of best fit to estimate the time taken by a child aged 8 to solve the puzzle?

Explain your answer.

Answer(d)(iv) because

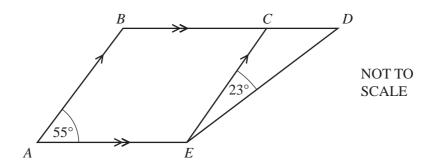
8 (a) Complete the table.

Name of polygon	Number of sides
Quadrilateral	4
Heptagon	
	5

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[2]

(b)



In the diagram, AB is parallel to EC and BCD is parallel to AE. Angle $BAE = 55^{\circ}$ and angle $CED = 23^{\circ}$.

(i) Complete the following statement.

(ii) Work out the size of angle ABC.

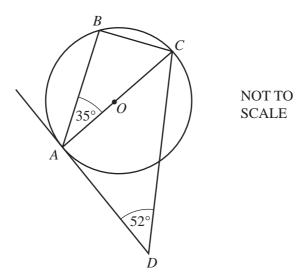
$$Answer(b)$$
(ii) Angle $ABC = \dots [1]$

(iii) Work out the size of angle *CDE*.

$$Answer(b)$$
(iii) Angle $CDE = \dots [2]$

Examiner's Use

(c)



Points *A*, *B* and *C* lie on a circle with centre *O*. *DA* is a tangent to the circle at *A*.

Angle $BAC = 35^{\circ}$ and angle $ADC = 52^{\circ}$.

(i) Write down the size of angle ABC giving a reason for your answer.

$Answer(c)$ (i) Angle $ABC = \dots$ because	•••	
	[2	2]

(ii) Work out the size of angle *BCA*.

$$Answer(c)$$
(ii) Angle $BCA = \dots$ [1]

(iii) Work out the size of angle *BCD*.

$$Answer(c)$$
(iii) Angle $BCD = \dots [3]$

9 (a) The table shows some information about minimum and maximum temperatures in Moscow one January and February.

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Temperature	January	February	
Maximum	−9°C	2°C	
Minimum	−16°C		

(i)	Find the difference between the maximum and minimum temperatures in January.			
	Answer(a)(i)°C [1]			

(ii) The difference between the maximum and minimum temperatures in February was 34°C.
Find the minimum temperature in February.

(iii) The minimum temperature in Moscow in December was 5°C higher than the minimum temperature in January.

Work out the minimum temperature in December.

Answer(a)(iii)°C [1]

(b) The table shows the population of some cities in Russia.

For
Examiner'.
$I/s\rho$

City	Population
Kaliningrad	4.30×10^{5}
Moscow	
Novosibirsk	1.40×10^{6}
Omsk	1.13×10^{6}
Saint Petersburg	4.58×10^{6}

		Novosibirsk	1.40×10^{6}		
		Omsk	1.13×10^{6}		
		Saint Petersburg	4.58×10^{6}		
(i)	The populati	on of Moscow is 1050000	00.		
	Complete the	e table by writing the popu	ulation of Moscow in stand	lard form.	[1]
(ii)	Write the population of Saint Petersburg as an ordinary number.				
(iii)	Answer(b)(ii)			[1]	
(iv)	$Answer(b) (iii) \qquad \qquad [$ Find the difference between the population of Novosibirsk and the population of Omsk. Give your answer in standard form.			[1]	
			Answer(h)(iv)		[2]

Question 10 is printed on the next page.

		16		
10	(a)	Solve the equation.	6(x-2)=9	
	(b)	Expand and simplify.	8(n-1) - 2(3n+5)	$Answer(a) x = \dots [2]$
	(c)	Factorise completely.	$10p^2 + 5p^3$	Answer(b)[2]

Answer(c) [2]

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