Surname		Centre Number	Candidate Number
Other Names			0

GCSE – NEW

wjec cbac

C300U10-1

S17-C300U10-1

eduqas
Part of WJEC

MATHEMATICS – Component 1
Non-Calculator Mathematics
FOUNDATION TIER

THURSDAY, 25 MAY 2017

– MORNING

2 hours 15 minutes

For Examiner's use only		
Question	Maximum Mark	Mark Awarded
1.	3	
2.	4	
3.	7	
4.	2	
5.	3	
6.	5	
7.	4	
8.	8	
9.	4	
10.	5	
11.	4	
12.	6	
13.	4	
14.	3	
15.	2	
16.	5	
17.	4	
18.	4	
19.	3	
20.	7	
21.	8	
22.	4	
23.	4	
24.	5	
25.	4	
26.	5	
27.	3	
Total	120	

ADDITIONAL MATERIALS

The use of a calculator is not permitted in this examination.

A ruler, protractor and a pair of compasses may be required.

INSTRUCTIONS TO CANDIDATES

Use black ink or black ball-point pen.

You may use a pencil for graphs and diagrams only.

Write your name, centre number and candidate number in the spaces at the top of this page.

Answer **all** the questions in the spaces provided.

If you run out of space, use the continuation page at the back of the booklet, taking care to number the question(s) correctly.

Take π as 3·14.

INFORMATION FOR CANDIDATES

You should give details of your method of solution when appropriate.

Unless stated, diagrams are not drawn to scale.

Scale drawing solutions will not be acceptable where you are asked to calculate.

The number of marks is given in brackets at the end of each question or part-question.

You are reminded of the need for good English and orderly, clear presentation in your answers.

2

Formula list

Area and volume formulae

Where r is the radius of the sphere or cone, l is the slant height of a cone and h is the perpendicular height of a cone:

$$\text{Curved surface area of a cone} = \pi r l$$

$$\text{Surface area of a sphere} = 4\pi r^2$$

$$\text{Volume of a sphere} = \frac{4}{3}\pi r^3$$

$$\text{Volume of a cone} = \frac{1}{3}\pi r^2 h$$

Kinematics formulae

Where a is constant acceleration, u is initial velocity, v is final velocity, s is displacement from the position when $t = 0$ and t is time taken:

$$v = u + at$$

$$s = ut + \frac{1}{2}at^2$$

$$v^2 = u^2 + 2as$$

(C300U10-1)

1. The table shows some words that may describe the numbers 1, 2, 8 or 9.

   Complete the table by putting ticks (✓) in the correct boxes.
   The first column has been done for you. [3]

Words	Number			
	1	2	8	9
Prime				
Odd	✓			
Even				
Square	✓			
Cube	✓			

2. *(a)* Write this statement in words. [2]

$$67.31 \ < \ 700$$

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   (b) Work out the difference between the value of the digit 8 and the value of the digit 5 in the following number. [2]

$$38\,502$$

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Turn over.

4

3. Alys asks a group of students:

"What is your favourite type of music?"

This pictogram shows her results.
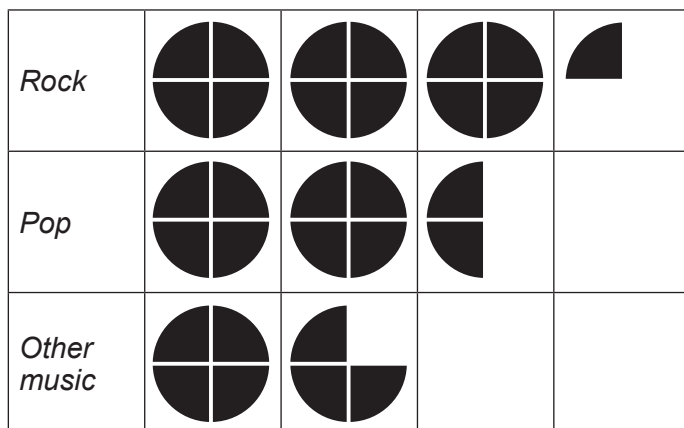
Key: represents .... students

(a) Twenty students chose *Pop*.

Complete the key for the pictogram. [1]

(b) Write down the modal type of music. [1]

(c) How many students answered Alys's question? [1]

(d) How many more students chose *Rock* than chose *Other music*? [1]

(e) Draw a bar chart of Alys's results on the grid below. [3]

(C300U10-1) **Turn over.**
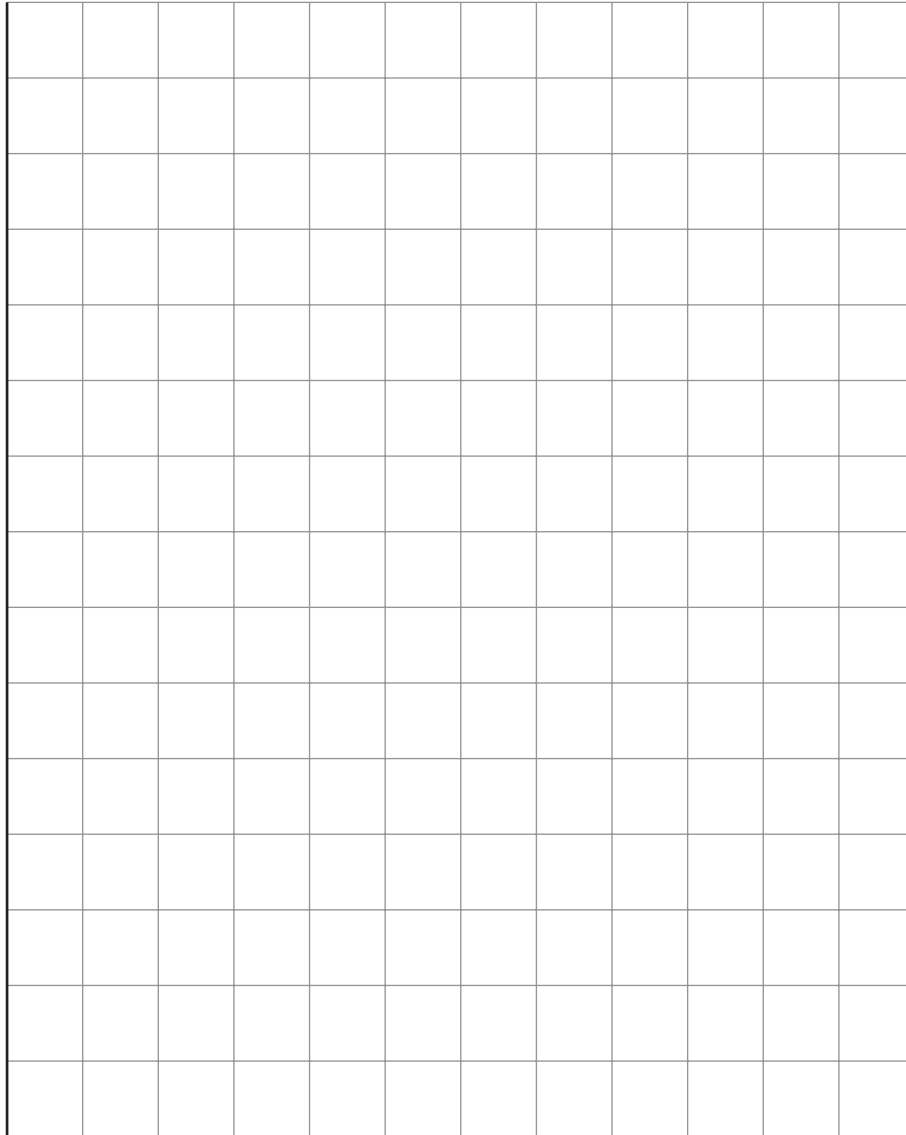
4. *(a)* Draw two more lines on the diagram, so that the shape has exactly three lines of symmetry. [1]
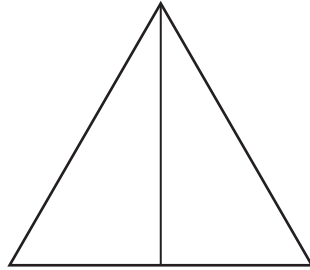
(b) Renata says:

"This shape has rotational symmetry of order 4."
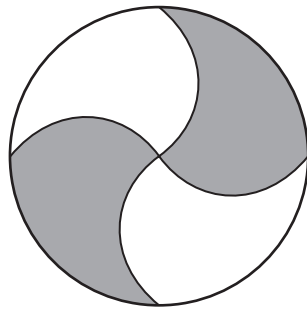
Explain why Renata is not correct. [1]

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5. *(a)* Find the size of angle a. [1]

124°

a
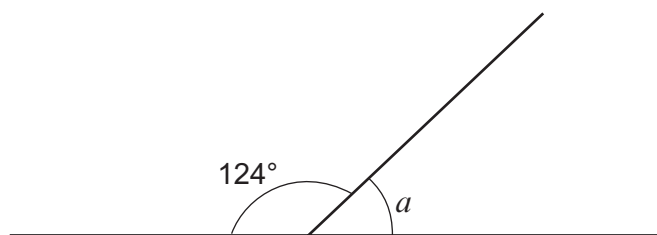
Diagram not drawn to scale

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a = ... °

(b) Find the size of angle b. [2]

210°

b
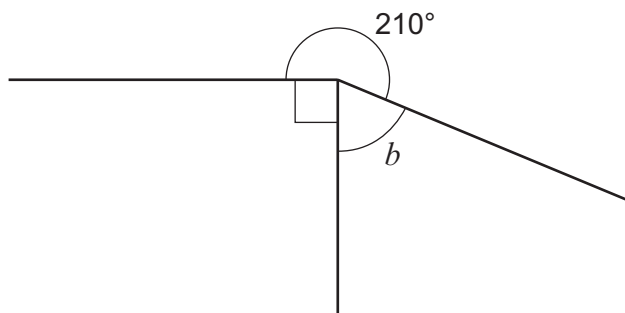
Diagram not drawn to scale

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b = ... °

C300U101
07

6. *(a)* Write 5·907 correct to 1 decimal place. [1]

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(b) Write 370 correct to 1 significant figure. [1]

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(c) The mass of one red apple is 132 grams.

Estimate the mass of 38 of these red apples.
Give your answer in **kilograms**. [3]

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.... kg

7. Daniel is a fast-food server.

(a) One day, he works for 5 hours and earns a total of £30.50.

Work out how much Daniel is paid for each hour. [2]

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(b) In July, Daniel works for a total of 50 hours.

How much does Daniel earn in July?
You must show all your working. [2]

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(C300U10-1) **Turn over.**

8. A vending machine sells drinks.
Each drink costs 50 pence.

A sign on the machine shows the coins that can be used to buy the drinks.

Drinks: 50p

This machine accepts
50p, 20p, 10p and 5p coins only

NO CHANGE IS GIVEN

(a) Complete the table to show the 13 different ways of paying the **exact** amount for a drink. [2]

	50p	20p	10p	5p
	1			
		2	1	
		2		2
		1	3	
		1	2	2
Number of each coin		1		
			5	
			4	
			1	8
				10

(b) The machine has a display that shows how much cash has been put in.
The machine resets the display to £0.00 after each drink is taken.

The cash container in the vending machine is emptied every night.
When it was emptied, the cash container contained the following coins:

50p	20p	10p	5p
10 coins	15 coins	31 coins	20 coins

(i) Work out the greatest possible number of drinks that could have been sold.
You must state any assumption that you make. [5]

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Number of drinks sold ....

Assumption made ....

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(ii) Comment on the effect that your assumption has had on your solution. [1]

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12

9. *(a)* Complete the table. [3]

	Calculation	Answer
A	4×9	
B	$\frac{3}{4}$ of 8	
C	-2×-12	
D	$2^3 + 1^2$	

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(b) Write down a relationship between the answers to calculation A and calculation B. [1]

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(C300U10-1) **Turn over.**

14

10. *(a)* Here is a number machine.

| INPUT | → | Subtract 4 | → | Multiply by 5 | → | OUTPUT |
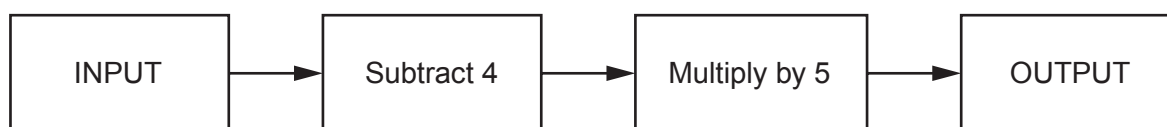
(i) The input is 2.
What is the output? [1]

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(ii) The input is $6\frac{1}{2}$.
What is the output? [1]

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(iii) The output is 45.
What is the input? [1]

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Examiner only

(b) Here is a different number machine.

| n | → | Add 1 | → | Multiply by 2 | → | OUTPUT |
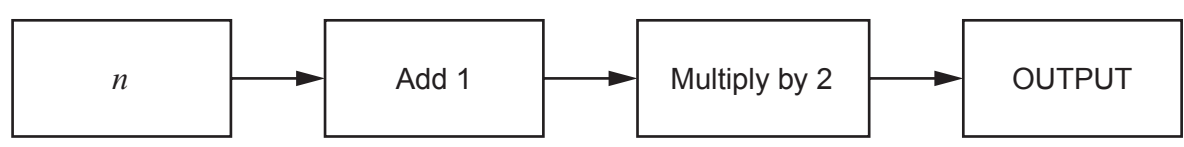
(i) The input, n, is always a whole number for this number machine.

Which **one** of these statements describes the output?
Circle your answer.

It must be odd   It must be even   It is sometimes odd
                                                  and sometimes even

Show how you decided. [1]

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(ii) Write an expression for the output.
Give your answer in terms of n. [1]

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(C300U10-1) **Turn over.**

11. The grid shows a scale drawing of the flight path of a plane from Aston to Broad.

1 cm represents 100 km
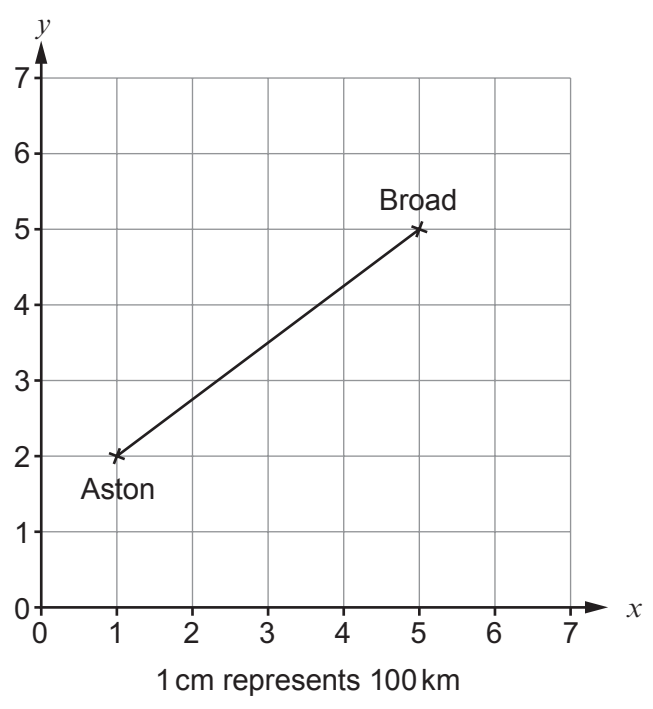
(a) Write down the coordinates of Aston. [1]

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(b) The scale of the drawing is 1 cm represents 100 km.
On average, the plane flies 4 km for each litre of fuel used.

Work out how much fuel is used to fly from Aston to Broad. [3]

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Fuel used is .... litres.

12. Sam thinks of a number. His number is n.

Anwen, Bea and Carl also think of numbers.
Their numbers are shown in the table.

Sam	n
Anwen	$n - 7$
Bea	$4n$
Carl	$\dfrac{n}{2}$

(a) Anwen's number is seven less than Sam's number.

Using words, complete the following statement. [1]

Bea's number is .... Sam's number.

(b) Carl says:

'My number is double Sam's number.'

Explain why Carl is not correct. [1]

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(c) David thinks of a number. His number is 9 more than Anwen's number.

Write an expression, in terms of n, for David's number.
Give your answer in its simplest form. [1]

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(d) Anwen's number is 63.

Find Carl's number. [3]

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13. *(a)* The area of a rectangle is 100 cm^2.
The length of the rectangle is 4 times its width.

Work out the width of this rectangle. [2]

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(b) A square has sides of length x cm.
The length of a rectangle is equal to the perimeter of this square.
The perimeter of this rectangle is $14x$ cm.

Find an expression for the width of this rectangle.
Give your answer in terms of x. [2]

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14. Jodie makes 4 patterns using these straight sticks ▬ .
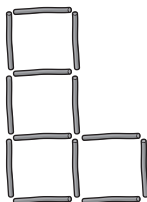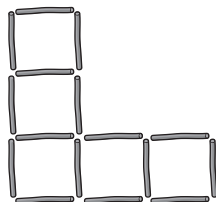
Pattern 1   Pattern 2   Pattern 3   Pattern 4
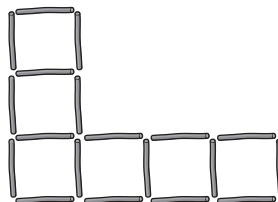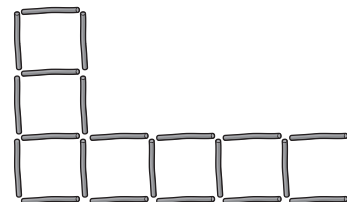
Jodie has 90 sticks left after making patterns 1, 2, 3 and 4.
She continues this sequence of patterns, starting with pattern 5.

How many **more** complete patterns can Jodie make before she runs out of sticks?
You **must** show all your working. [3]

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15. *(a)* Pavel has to work out $\sqrt{484}$.
Here is his working.

$$\sqrt{484} = 484 \div 2 = 242$$

Pavel's method is incorrect.
Explain why. [1]

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(b) Nina works out $0.54 + 0.23 + 2$.
Here is her working.

$$0.54 + 0.23 + 2 = \quad \begin{array}{r} 0.54 \\ 0.23 \\ \underline{2} + \\ 0.79 \end{array}$$

Nina's friend says that this answer is too small.
Explain why Nina's friend is correct. [1]

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(C300U10-1) **Turn over.**

16. Ahmed, Blake and Cath are given cash tips when working in a cafe.
They share the tips in the ratio of the hours they work each week.

(a) One week, Ahmed works for 5 hours, Blake works for 6 hours and Cath works for 12 hours.
Cath's share of the tips for this week is £18.

Work out Ahmed's share of the tips. [2]

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(b) The following week, the tips total £72.
Blake works twice as many hours as Ahmed.
Cath works three times as many hours as Ahmed.

How much is Blake's share of the tips? [3]

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17. Dev buys and downloads music.
The number of tracks he buys in one month and the **approximate** prices paid are shown in the table below.

Price per track (pence)	70	80	90	100
Frequency	5	1	2	2

(a) Using the values in the table, calculate an estimate of the mean price paid per track. [3]

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(b) All of the actual prices paid were **rounded up** to give the values in the table.

Is the mean price per track higher or lower than your estimate in part *(a)*?
Give a reason for your answer. [1]

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18. The diagram shows a rectangular garden, *ABCD*.

The garden is to be enclosed by a wire fence.
There must be a gap of 2 m for the gate.

Wire fencing costs
- £32 for a whole 10 m roll
- £4.50 per metre
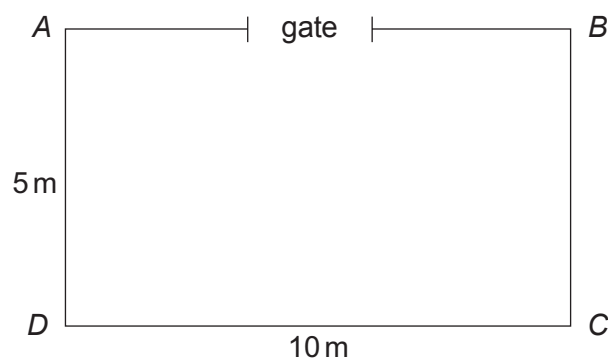
Diagram not drawn to scale

Work out the cheapest cost of enclosing the garden with this wire fencing.
Justify your answer. [4]

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19. Amy needs 14 identical pieces of ribbon to gift wrap some presents.
Amy has two rolls of ribbon that are the same length.
She cuts 10 pieces from the first roll of ribbon and has none left over.
She cuts the remaining pieces from the second roll of ribbon and has 9 metres left over.

If each piece of ribbon is r metres long, work out the value of r. [3]

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24

20. The table gives some information about the nutritional value of 1000 grams of a breakfast cereal.

	Every 1000 g contains:
Fat of which saturated fat	65 g 40 g
Protein	80 g
Salt	2 g

(a) Show that

$$\text{saturated fat : other fat} = 8 : 5$$

[2]

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(b) How much salt is there in a 50 gram serving of this cereal? [3]

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(c) It is recommended that an adult eats no more than 6 grams of salt per day.

Meena is an adult and eats a 50 gram portion of the cereal.

What fraction of her daily salt intake does Meena eat?
Give your answer as a fraction in its simplest form. [2]

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Examiner only

21. *(a)* Solve $7x + 2 = 3x + 4$. [2]

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(b) Solve $3 - 2(x - 9) = 5x$. [3]

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(c) (i) Solve $7 - 3x < 1$. [2]

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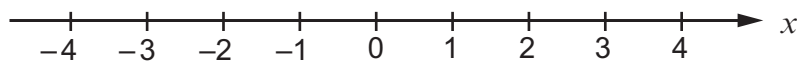
(ii) Represent your answer to part *(c)*(i) on the number line below. [1]

Turn over.

22. Sasha is carrying out a survey into the amount of chocolate teenagers eat in a day.

(a) Here is a question from her survey:

Too much chocolate is bad for your health.
How many pieces of chocolate did you eat yesterday?
Tick (✓) one box.

1-2 ☐   3-4 ☐   5-6 ☐

(i) Explain why this is a biased question. [1]

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(ii) State **one** other criticism of the question. [1]

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(b) Sasha stands outside a supermarket on a Monday morning and surveys 10 people as they go in.

Are her results likely to be reliable?

Yes ☐   No ☐

Give **two** reasons to support your answer. [2]

Reason 1:

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Reason 2:

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23. The scale drawing below shows a lake.
There are two small islands in the lake at *A* and *B*.
The lifeguard station is marked at *C*.

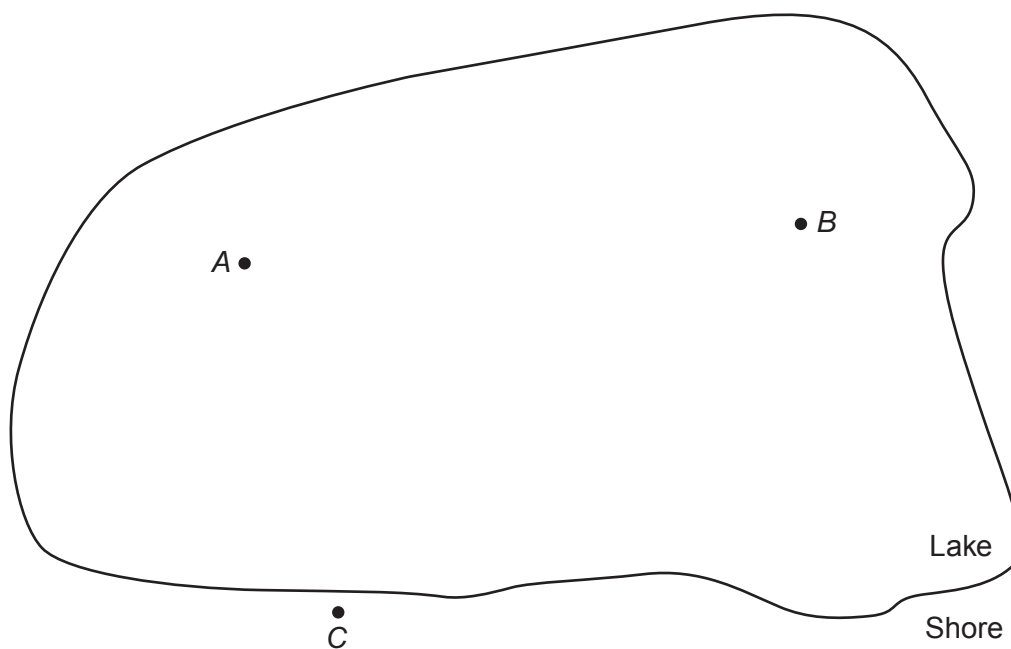Swimming is only allowed in the area of the lake that is,
  • nearer to *A* than it is to *B* and
  • less than 60 metres from *C*.

Using a ruler and a pair of compasses, show accurately on the diagram the area where swimming is allowed.
Shade the area where swimming is allowed.

Use the scale 1 cm represents 10 m. [4]

24.

$$\mathbf{p} = \begin{pmatrix} 6 \\ -1 \end{pmatrix} \text{ and } \mathbf{q} = \begin{pmatrix} -4 \\ 7 \end{pmatrix}$$

(a)   Work out the column vector $\mathbf{p} + 3\mathbf{q}$.   [2]

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(b)   When $\mathbf{p} + m\mathbf{q} = \begin{pmatrix} 10 \\ n \end{pmatrix}$, find the value of m and the value of n.   [3]

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$m =$ .... $n =$ ....

25. The table shows the cost of sending items using a delivery service.

Mass less than	Full insurance against being lost:		
	£250	£750	£1500
100 g	£5	£7	£9
250 g	£7.50	£9.50	£11.50
1000 g	£9.25	£11.25	£13.25
1750 g	£11	£13	£15
2500 g	£13.50	£15.50	£17.50
5000 g	£18	£20	£22

Riley is planning to send **two** laptops to James using this delivery service.
The laptops are to be sent with full insurance against being lost.

Each laptop is worth £700 and has a mass of 1250 g, **correct to the nearest 50 g**.

Riley says,

> The delivery charge is **more** than £20.

James says,

> You can send these for **less** than £20.

Explain how Riley and James could have come to their conclusions.
Show all your working and state any assumption that you make. [4]

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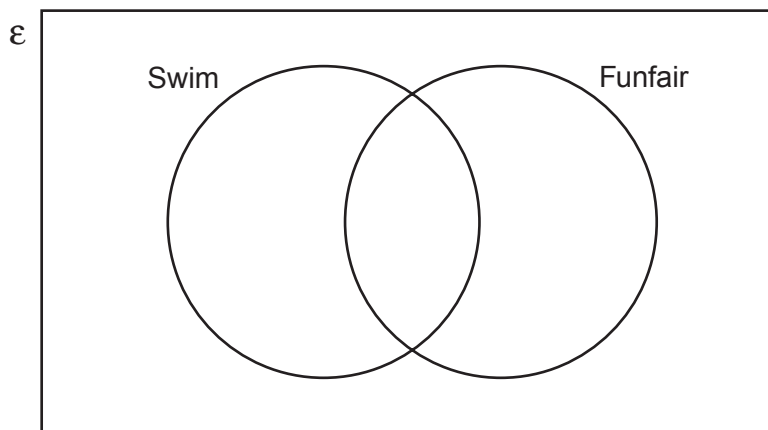
26. Twenty people go on a trip to the seaside.

Of these 20 people
- 13 swim in the sea
- 17 go to the funfair
- 2 do not swim in the sea or go to the funfair.

(a) Complete the Venn diagram below to show this information. [2]

One person is chosen at random.

(b) Find the probability that this person swims in the sea and goes to the funfair. [1]

(c) Find the probability that this person either swims in the sea or goes to the funfair, but does not do both. [2]

27. In the diagram below, *ABCDEF* is a regular hexagon.
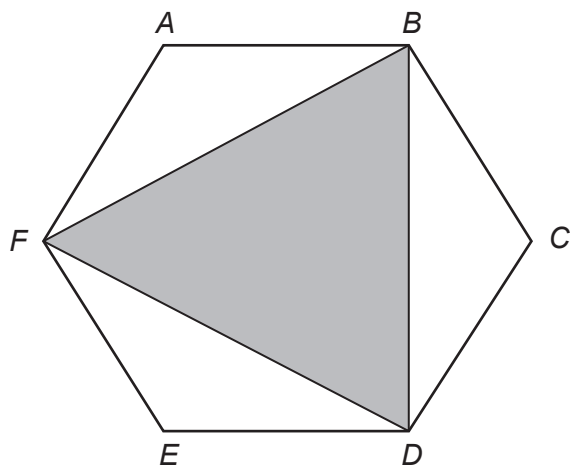
Explain why triangle *BDF* is equilateral. [3]

Diagram not drawn to scale

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END OF PAPER

For continuation only.